



$$Index and b are positive real numbers, with $b \neq 0$ then

$$Iog_b(MN) = log_b M + log_b N$$
Write each of the following logarithms as the sum of logarithms.

$$Iog_2(5 \cdot 3) \qquad ln(6z)$$
Quotient Rule of Logarithms
If MN and b are positive real numbers, with $b \neq 0$, then

$$Iog_b \left(\frac{M}{N}\right) = log_b M - log_b N$$
Write each of the following logarithms as the difference of logarithms.

$$Iog_2\left(\frac{5}{3}\right) \qquad log\left(\frac{y}{5}\right)$$$$

Power Rule of Logarithms
If
$$M$$
 and b are positive real numbers, with $b \neq 0$, then
 $\log_b M^r = r \log_b M$

Use the power Rule of Logarithms to express all powers as factors.

$$\log_8 3^5 \qquad \ln x^{\sqrt{3}}$$

3log₂5

$$\frac{1}{2}$$
log16

Write the following as the sum or difference of logarithms.

$$\log_3\left(\frac{4x}{y}\right) \qquad \qquad \log_2(x^2y^3)$$

$$\log(8xy^4)$$

$$\log_3\left(\frac{9m^4}{\sqrt[3]{n}}\right)$$

Write each of the following as a single logarithm.

$$\log_6 3 + \log_6 12 \qquad \log(x-2) - \log x$$

Write each of the following as a single logarithm.

$$\ln x^5 - 2\ln(xy)$$

$$\log(x-1) + \log(x+1) - 3\log x$$

Rewrite and express in terms of a and b given that a=In3 and b=In4

In36 In27

2ln4

$$\frac{1}{2}$$
ln144

Change of Base Formula If $a \neq 0, b \neq 0$, and M are positive real numbers, then $\log_a M = \frac{\log_b M}{\log_b a}$	
$\log M - \frac{\log I}{\log M}$	$M = \frac{\ln M}{\ln M}$
$\log_a M = \frac{\log l}{\log a}$	$a \ln a$
Rewrite the following as a natural log	
$\log_4 45$	log27
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Use your calculator to approximate the following:

 $\log_4 45$ $\log_3 75$ $\log_6 40$

Summary of Properties

$$\log_{a} a^{r} = r \qquad b^{\log_{b} M} = M$$
$$\log_{b} (MN) = \log_{b} M + \log_{b} N$$
$$\log_{b} \left(\frac{M}{N}\right) = \log_{b} M - \log_{b} N$$
$$\log_{b} M^{r} = r \log_{b} M$$
$$\log_{a} M = \frac{\log_{b} M}{\log_{b} a}$$